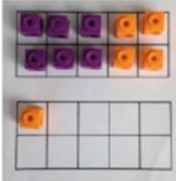
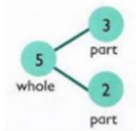
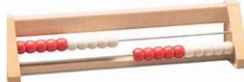
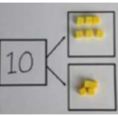
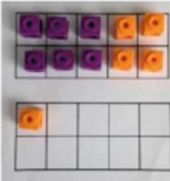
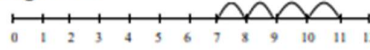
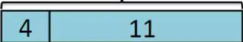
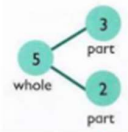




Bourton-on-the-Water Primary Academy Maths
Calculations Policy 2026

Object ive	Year group	Concrete	Pictorial	Abstract	Vocabulary
Addition	Reception	Objects (e.g. counters, conkers, buttons, cubes etc..) Tens frame  Rekenrek  Numicon 	Part-Part-whole 		subitise count add plus altogether 1 more part-part-whole number bonds double digit total
	Year 1	Numicon  Cubes  Rekenrek  part-whole  Number tracks and Cuisenaire rods  ten frames  Dienes base 10 	Part whole Use pictures to add two numbers  Number lines (numbered) e.g. $7 + 4$  Recording jumps on prepared lines, then constructing own when ready Bar model $4 + 11 = ?$  <u>Mental strategies:</u> - count on or back in ones - reorder numbers in a calculation - begin to bridge through 10, and later 20, - when adding a single-digit number - use known number facts and place value to add or subtract pairs of single-digit numbers - add 9 to single-digit numbers by adding 10 then subtracting 1 - identify near doubles, using doubles already known	Use part-part-whole diagram  $4 + 3 = 7$ Progression: Counting In Ones Ones add Ones Ones add Ones (Thru 10) to 20 / then 50 Addition with missing numbers $a + 6 = 11$	addition add together double equals total digit missing number problems 2-digit number greater near double number bonds symbol

Addition

Year 2

Numicon

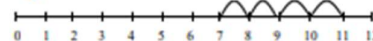


Dienes base 10



Number lines (numbered)

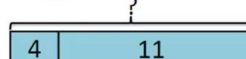
e.g. $7 + 4$



Recording jumps on prepared lines, then
constructing own when ready

Bar model

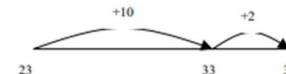
$4 + 11 = ?$



Mental strategies:

- count on or back in tens or ones
- find a small difference by counting up from the -
- smaller to the larger number
- reorder numbers in a calculation
- add three small numbers by putting the largest number first and/or find a pair totalling 10
- partition additions into tens and units then recombine
- bridge through 10 or 20
- use known number facts and place value to add or subtract pairs of numbers
- partition into '5 and a bit' when adding 6, 7, 8 or 9, then recombine
- add or subtract 9, 19, 11 or 21 by rounding and compensating
- identify near doubles
- use patterns of similar calculations
- use the relationship between addition and subtraction
- use knowledge of number facts and place value to multiply or divide by 2, 5 or 10
- use doubles and halves and halving as the inverse of doubling

Blank number line largest number first
and partition smaller number only



$23 + 12 = 35$

Progression:

- TO + 0 to 20
- TO + 0 thru 20
- TO + Mult of 10
- TO + TO to 50
- TO + TO to 99

3-digit
number
sum
commutativ
e
inverse
calculation
method
ones
tens
operation
partition
value
increase
exchange
addend
(MN)

Addition

Year 3

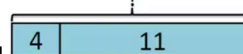
Dienes base 10



Place value grids

Hundreds	Tens	Ones
	1 6	3
+	3	8

$$4 + 11 = ?$$



Bar model

Mental strategies:

Place value mental method (smile)

$$\begin{array}{r} \text{HTO} \quad \text{HTO} \\ 152 + 426 = 578 \end{array}$$

Partitioning and recombining

$$456 + 526 = 982$$

HTO+HTO = HTO

$$400 + 500 = 900$$

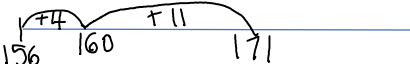
$$50 + 20 = 70$$

$$6 + 6 = 12$$

$$900 + 70 + 12 = 982$$

Bridging through 10 and 100

$$156 + 15 = 171$$



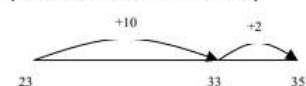
Rounding and compensating

$$338 + 199 = 358$$

$$338 + 200 = 538$$

$$538 - 1 = 537$$

Blank number line largest number first and partition smaller number only



Column addition

$$\begin{array}{r} \text{T} \quad \text{H} \quad \text{T} \quad \text{O} \\ \text{h} \\ 5 \quad 6 \quad 5 \quad 4 \\ + 5 \quad 2 \quad 3 \quad 5 \end{array}$$

Progression:

HTO+HTO

Introduce carry

Decimals involving money.

Addition within contexts

estimate
column
addition
addend
digit
hundreds

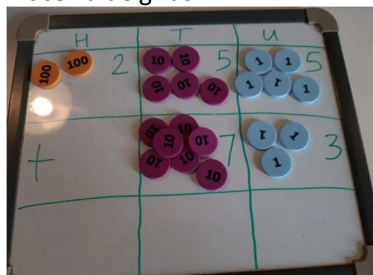
Addition

Year 4-6

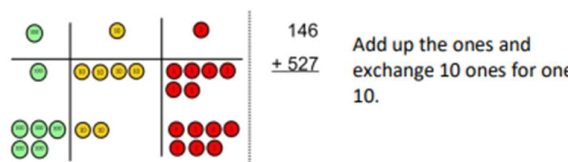
Place value counters



Place value grids

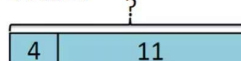


Make both numbers on a place value grid.



The use of number lines for rounding and time is a useful scaffold

$$4 + 11 = ?$$



Bar model

Mental addition strategies:

Place value mental method (smile)

$$\begin{array}{r} \text{Th H T O} \quad \text{Th H T O} \\ 4263 + 1234 = 5497 \\ \hline 5497 \end{array}$$

Partitioning and recombining

$$4562 + 5264 = 9826$$

$$4000 + 5000 = 9000$$

$$500 + 200 = 700$$

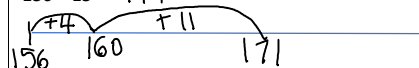
$$60 + 60 = 120$$

$$2 + 4 = 6$$

$$9000 + 700 + 120 + 6 = 9826$$

Bridging through 10 and 100

$$156 + 15 = 171$$



Rounding and compensating

$$3382 + 199 = 3581$$

$$3382 + 200 = 3582$$

$$3582 - 1 = 3581$$

Compact Method

$$\begin{array}{r} 324 \\ + 807 \\ \hline 1131 \\ 11 \end{array}$$

children are expected to master using the compact method (where appropriate) to solve addition problems with increasingly large numbers. From year 5, children may choose to use a number line if they believe it would lead to quicker solutions.

$$\begin{array}{r} 72.8 \\ + 54.6 \\ \hline 127.4 \\ 11 \end{array}$$

$$\begin{array}{r} \pounds 23.59 \\ + \pounds 7.55 \\ \hline \pounds 31.14 \\ 111 \end{array}$$

Progression:

Year 4: ThHTO+ThHTO; decimals to two decimal places

Year 5: More than 4-digits; decimals to three decimal places; adding more than two numbers

Year 6: More than 4-digits; decimals to three decimal places; adding more than two numbers

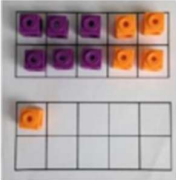
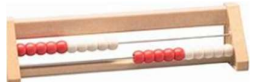
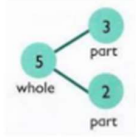
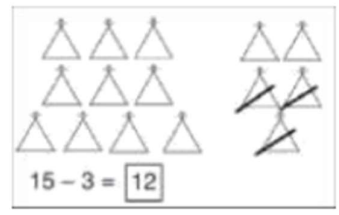
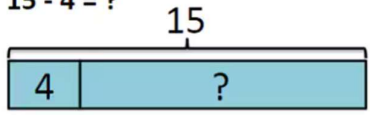
From Year 4,

4 digit numbers operation methods efficient round thousands place holder

Year 5

accurate approximate constant strategy

Subtraction

	Reception	Objects (e.g. counters, conkers, buttons, cubes etc..) Tens frame  Rekenrek  Numicon 	Part-Part-whole 		take away minus part 1 less left
	Year 1	Use physical objects e.g. counters, cubes etc, to show how many objects can be taken away.  Number tracks and Cuisenaire rods  Numicon  Ten frames  Make 14 on the ten frame. Take away the four first to make 10 and then takeaway one more so you have taken away 5. You are left with the answer of 9. Dienes base 10	Cross out drawn objects to show what has been taken away.   15 - 3 = 12 Bar model 15 - 4 = ? 	6-3 = 3 Subtraction with missing numbers – 7 - ? = 4 Progression: In Ones Ones take Ones Ones take Ones (Thru 10) from 20 Subtraction with missing numbers 6 - a = 3	subtraction subtract difference missing number problems less minus symbol

Subtraction

Year 2

Numicon

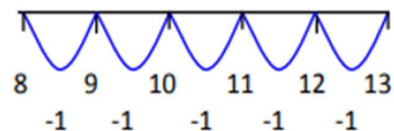


Dienes base 10



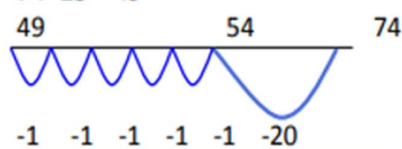
Number lines – counting back

$$13 - 5 = 8$$



Number lines – counting back

$$74 - 25 = 49$$

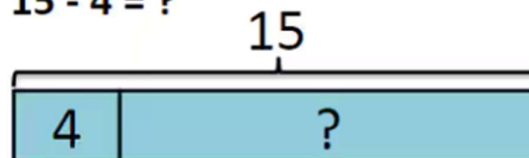


[Also jumps can be in 10s and 1s]

Note – jumps below the line

Bar model

$$15 - 4 = ?$$



Put 12 in your head, count back 4. What number are you at? Use your fingers to help.

Wording questions for example:

Fred has 23 sweets, George has 15 sweets. Find the difference between the number of sweets.

$$16 - 8 =$$

Progression:

- TO - O from 10 then 20
- TO - O thru the 10
- TO - Mult of 10 from 50
- TO - TO from 50
- TO - TO from 99

exchange
efficient
method
decrease

Subtraction

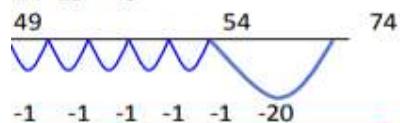
Year 3

Dienes base 10



Number lines – counting back

$$74 - 25 = 49$$

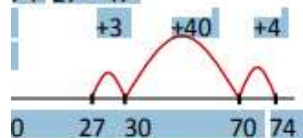


[Also jumps can be in 10s and 1s]

Bridging through 10 or 100

Number lines – counting on

$$74 - 27 = 47$$

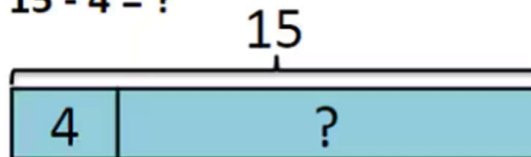


[Also jumps can be in 10s and 1s]

Dienes base 10 $58 - 25$ build biggest number and cross out what you are taking away.

Bar model

$$15 - 4 = ?$$



Column subtraction

1.	1	6	2
-	1	1	9
	H	T	O
	6	4	3
-	0	2	5

Progression:

HTO-TO

HTO - HTO

Introduce exchange

Decimals involving

money.

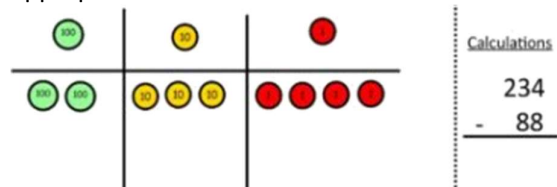
Subtraction within contexts

column subtraction
estimate
minuend
subtrahend
inverse
place holder

Subtraction

Year 4-6

Counters may be used to scaffold – where appropriate.



Calculations

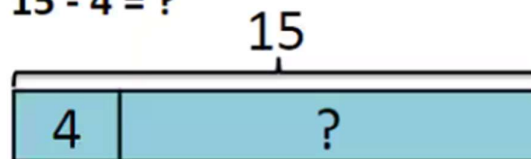
$$\begin{array}{r} 234 \\ - 88 \\ \hline \end{array}$$

Start with the ones, can I take away 8 from 4 easily? I need to exchange one of my tens for ten ones.

From Year 4, children are expected to master using compact method (where appropriate) to solve subtraction problems with increasingly large numbers. From year 5, children may choose to use a number line if they believe it would lead to quicker solution.

Bar model

$$15 - 4 = ?$$



Mental strategies:

Place value mental method (smile)

$$\begin{array}{r} \text{Th H T O} \quad \text{Th H T O} \\ 6789 - 1523 = 5266 \end{array}$$

Bridging through 10 or 100

$$5682 - 152 = 5530$$

$$\begin{array}{r} 5530 \quad 5630 \quad 5680 \quad 5682 \\ -100 \quad -50 \quad -2 \end{array}$$

Round and compensating

$$5681 - 199 = 5480$$

$$5681 - 200 = 5481$$

$$5481 + 1 = 5482$$

Partitioning and recombining

$$9624 - 3212 = 6412$$

$$9000 - 3000 = 6000$$

$$600 - 200 = 400$$

$$20 - 10 = 10$$

$$4 - 2 = 2$$

$$6000 + 400 + 10 + 2 = 6412$$

Progression:

Year 4

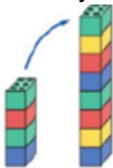
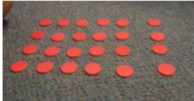
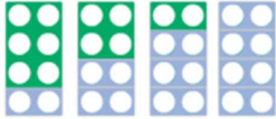
ThHTO- HTO;
ThHTO- ThHTO
decimals to two decimal
places

Year 5: More than 4-digits; decimals to
three
decimal places; subtracting more than
two numbers

Year 6: More than 5-digits; decimals to
three
decimal places; subtracting more than
two numbers

4 digit
numbers
operation
methods
efficient
round
accurate
approximate
strategy

Multiplication and division

Reception	Multiplication: Use of objects like cubes, counters, buttons etc Division: Use of objects like cubes, counters, buttons, oranges, shape etc, to show half of an object or shape	n/a	n/a	double half sharing even fair odd digit near double equal groups unequal group
Year 1	Multiplication: Use of objects like cubes, counters, buttons etc  Numicon Arrays  Cuisenaire rods  Division: Use of objects like cubes, counters, buttons etc and putting them into groups  Numicon 	Multiplication: 3 plates, 2 cakes on each plate  Division: 6 cakes shared between 2 people:  6 cakes put into groups of 2  Childre use pictures to share quantities.  	Multiplication: <u>Progression:</u> 2x Doubles One step problems Division: <u>Progression:</u> Halves ÷ 2 One step problems	twice as many multiplicatio n division arrays share even fair grouping unequal divide repeated addition

Multiplication and division

Year 2

Multiplication:



Arrays: 5×3

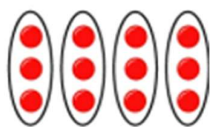
Numicon



Cuisenaire rods



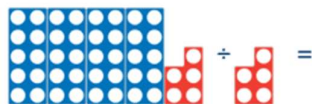
Division:



Arrays

$$12 \div 3 = 4$$

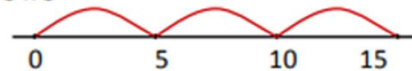
Numicon



Multiplication:

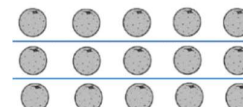
Repeated addition

$$5 \times 3$$



Arrays

$$5 \times 3$$

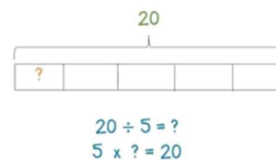


Division:

Using number lines to show jumps in groups. The number of jumps equals the number of groups.



Bar model – think of the bar as a whole. Split it into the number of groups you are dividing by and work out how many would be within each group.



Multiplication:

Progression:

5x

10x

One step problems involving the 2x, 5x and 10x tables

Division:

Progression:

÷ 10

÷ 5

One step problems involving the 2x, 5x and 10x tables

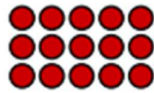
commutative multiplication tables repeated addition divide lots of multiply twice

Multiplication and division

Years 3-4

Multiplication:

Arrays for scaffold

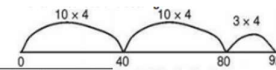


Cuisenaire rods

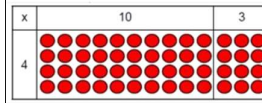


Multiplication:

Number line with jottings

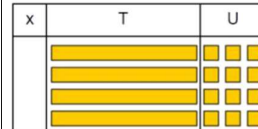


Show the link with arrays to first introduce the grid method.



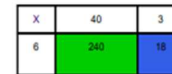
Grid method

Move on to using Base 10 to move towards a more compact method.



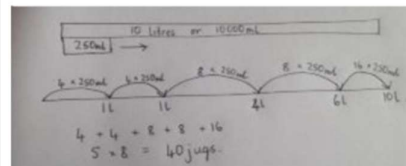
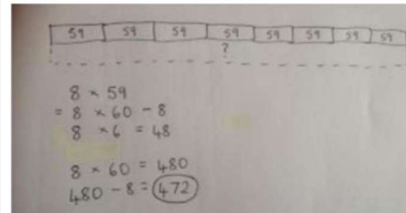
Compact grid method

43 x 6



Bar model

Bar modelling and number lines can support learners when solving problems with multiplication alongside the formal written methods.

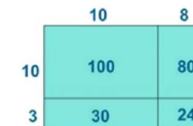


X	1000	300	40	2
10	10000	3000	400	20
8	8000	2400	320	16

Multiplication:

Grid method

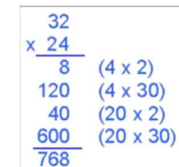
Moving forward, multiply by a 2 digit number showing the different rows within the grid method.



Long



multiplication



Short

multiplication

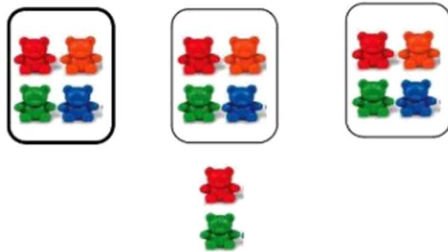


exchange
missing
number
problems
derived facts
factor
product
distributive
law
square
numbers
corresponde
nce
remainders
formal
written
layout
dividend
divisor
quotient
commutativ
e
inverse
multiples
scaling
efficient
multiplicativ
e reasoning
short
multiplicatio
n
short
division

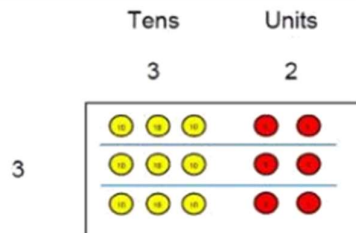
Division:

$$14 \div 3 =$$

Divide objects between groups and see how much is left over



Alongside short division, place value counters can be used as a scaffold:

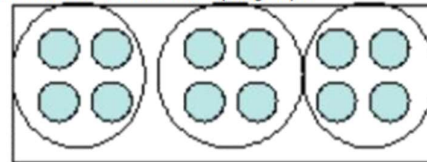


Division:

Draw dots and group them to divide an amount and clearly show a remainder.



Students can continue to use drawn diagrams with dots or circles to help them divide numbers into equal groups.



Encourage them to move towards counting in multiples to divide more efficiently.

Progression:

Year 3 TO x O

Year 4: TOxO; HTOxO

Division:

Begin with divisions that divide equally with no remainder.

$$\begin{array}{r} 218 \\ 3 \overline{) 872} \end{array}$$

Move onto divisions with a remainder.

$$\begin{array}{r} 86 \text{ r } 2 \\ 3 \overline{) 432} \end{array}$$

Progression:

All $\div$ tables

Year 3 TO $\div$ O

Year 4: TO $\div$ O; HTO $\div$ O

Simple remainder e.g r3

Multiplication and division

Years 5-6

Multiplication:

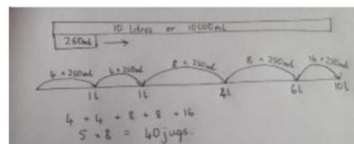
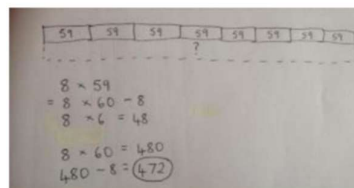
Concrete objects can be used as a scaffold

Division:

Concrete objects can be used as a scaffold

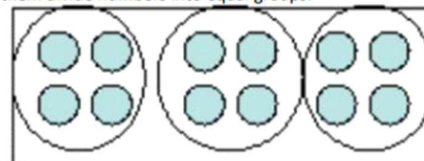
Multiplication:

Bar modelling and number lines can support learners when solving problems with multiplication alongside the formal written methods.



Division:

Students can continue to use drawn diagrams with dots or circles to help them divide numbers into equal groups.



Encourage them to move towards counting in multiples to divide more efficiently.

Multiplication:

Short division

Wording problems

Progression:

Year 5:

ThHTOxO; ThHTOxTO

Year 6: HTOxO.t Numbers

with 1dp x single digit

Children in Year 6 may also

be taught the lattice

method (Nappier's Bones)

of multiplication to aid

transition to secondary

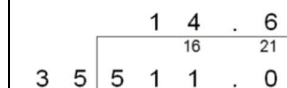
school (this is the preferred

method at the Cotswold

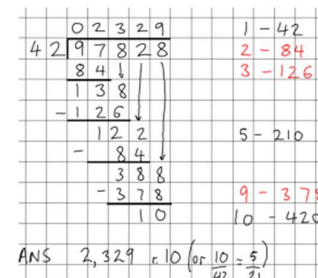
School).

Division:

Short division with decimals



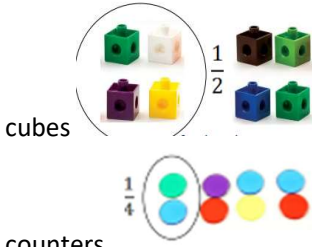
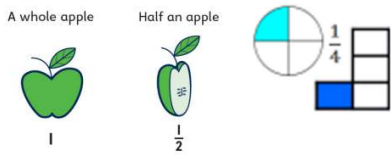
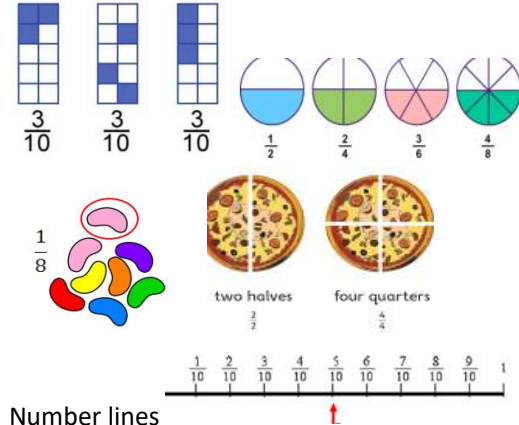
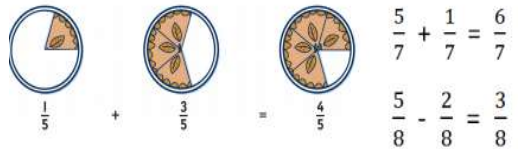
Wording problems



Year 6 – Long division

Progression:

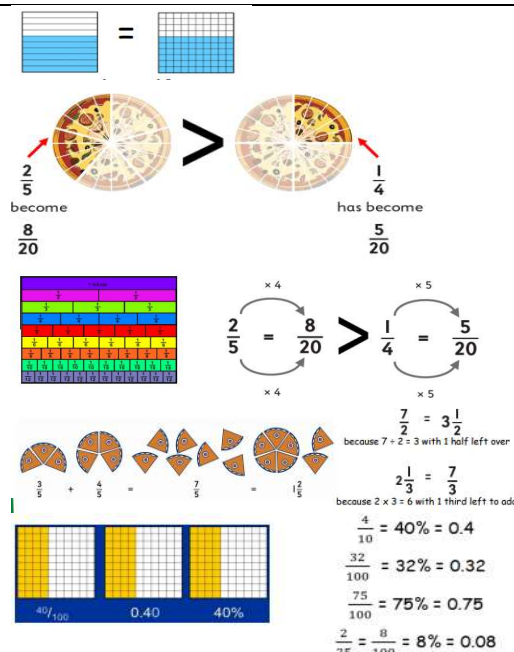
multiples
 prime
 numbers
 cube
 numbers
 short
 division
 long division
 dividend
 divisor
 quotient
 powers of
 long
 multiplicatio
 n
 order of
 operation
 BIDMAS
 BODMAS

				Year 5 ThHTO ÷ O, with remainders; ThHTO ÷ TO, with remainders in context Year 6 ThHTO ÷ TO with remainders in context TO.t ÷ O Remainders as fractions or decimals where known (e.g. $\frac{4}{8} = 0.5$), long division	
Fractions, decimals and percentages	Years 1-2	 cubes counters	 A whole apple Half an apple	Half of 20 = Half of 8 = of 14 = A quarter of 20 = A quarter of 12 = of 8 = $\frac{1}{4}$ Progression: Year 1 $\frac{1}{2}$ and $\frac{1}{4}$ Year 2 $\frac{1}{2}$, $\frac{1}{4}$, $\frac{1}{3}$ $\frac{2}{4}$ and $\frac{3}{4}$ Above of numbers to 10 then 20	half whole quarter equal parts three quarters third equivalent fractions numerator denominator one whole
	Year 3 - 4	Numicon to scaffold equivalences and addition/subtraction of fractions 	 Number lines  $\frac{1}{5} + \frac{3}{5} = \frac{4}{5}$ $\frac{5}{8} - \frac{2}{8} = \frac{3}{8}$	Progression: Year 3 and Year 4 Increasing denominations to 1/10 Equivalences pictorially Add and subtract simple fractions within 1	unit fractions non-unit fractions tenths hundredths equivalence convert proper fractions improper fractions decimal points mixed numbers integer

Fractions, decimals and percentages

Year 5

Cuisenaire rods



$$\frac{3}{5} = \frac{6}{10} = \frac{60}{100}$$

$$\frac{3}{4} = \frac{75}{100}$$

$$\frac{1}{5} = \frac{2}{10} = \frac{20}{100}$$

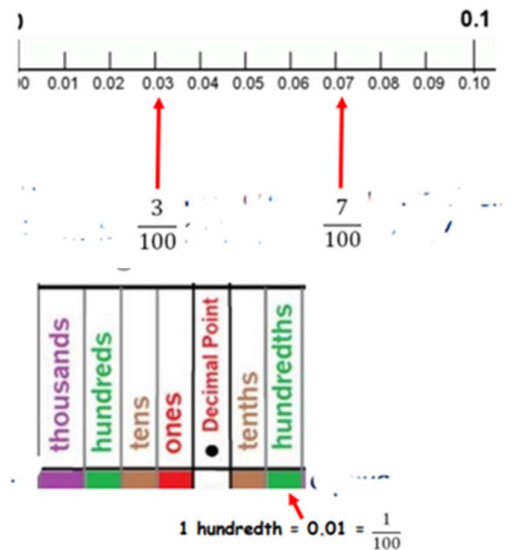
Progression:

Year 5

Equivalence
Methodology of equivalence
Introduce mixed numbers
Introduce percentages as fractions out of 100 and therefore as decimals
Fractions of fractions

thousandths
percentages
facotrs
integer
common
denominator

Year 6



$$\frac{1}{100} \text{ of } 60 = 0.6$$

because $60 \div 100 = 0.6$

$$\frac{1}{10} \text{ of } 70 = 0.7$$

so $\frac{1}{100} \text{ of } 70 = 0.07$

Progression:

Year 6

0.thth place value
Add and subtract numbers with different denominations

simplify
common
multiples
simplest
form
recurring